

# Estimation of the Rebound Effect for Travel Distance Using Micro-level Data for France

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## How to cut driving emissions?

- The share of global energy-related GHG emissions due to transportation is 23% (EEA, 2017).
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## How to cut driving emissions?

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- In France, it is 28,5% of which 53,7% are due to private vehicles (Pourquier and Vicard, 2017).
- Efficiency policies are widely used as a way to reduce greenhouse gas emissions.
- More efficiency usually means a *fall in the real cost* of unit energy service, e.g. driving.
- A lower real cost of driving creates incentives to drive more.

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- The **direct rebound effect** is defined as:
  - ▶ The efficiency elasticity of demand for driving (VKT)

## Key findings

- Most studies focus on the U.S., using panel data at a state level. Only few use micro-level data.
- Estimates range from 5% (Greene, 1992) to 40% (Linn, 2016) for the US. At the European level, they go from 9% (Stapleton et al., 2016) to 70% (Frondel and Vance, 2013).
- Some assumptions widely used in the literature can be potential sources of bias in estimations (Gillingham et al., 2016; Sorrell and Dimitropoulos, 2008).

## Estimating the direct rebound effect in France

- We use the **primary definition** of the direct rebound effect: *The efficiency elasticity of demand for driving (VKT)* and account for three main sources of bias.
- We use micro-level data in France for 2008 and improve the methodology in Linn (2016) by controlling for selection bias.
- Our rich database allows us to account for household heterogeneity and vehicle characteristics, thus enhancing the rebound effect estimates.

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- The dependent variable,  $VKT$ , measures the travel distance during a reference week for *one* vehicle
- Fuel economy,  $E$ , is the inverse on-road fuel intensity per 100 km
- Fuel economy is available for *one* or *two* households vehicles

# Model structure

$$\ln(VKT_{hi}) = \beta_0^{vkt} + \beta_1^{vkt} \ln(P_f) + \beta_2^{vkt} \ln(E_{hi}) + \beta_3^{vkt} \ln(E_{hj}) + X_h + \epsilon_{hi}$$

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- A system in which VKT and fuel efficiency are simultaneously determined to address endogeneity. The estimation technique is 3SLS.

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- Correction of selection bias in presence of endogenous explanatory variables (Wooldridge, 2010).

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- The rebound effect takes into account variation in fuel economy of all vehicles in the household :

$$\eta_E(VKT) = \beta_2^{vkt} + \beta_3^{vkt} \times 40\%$$

## 3SLS estimates of main variables

	$VTK_i$		$E_i$		$E_j$	
$VTK_i$			0.00403	(0.003)	0.00958	(0.006)
$E_i$	0.321***	(0.045)				
$E_j$	-0.0445**	(0.014)				
Rebound Effect	0.305***	(5.74)				
$P_f$	-0.464***	(0.085)				
Monthly Income	0.110***	(0.022)	0.00568	(0.004)		
Interaction prices and income:	$P_f$		$\bar{P}_f$		$\hat{P}_f$	
Q2	0.0560	(0.053)				
Q3	0.136*	(0.063)				
Q4	0.296***	(0.070)				
Interaction No of vehicles:			$Veh_i$		$Veh_j$	
Log vehicle age - 0			-0.0336***	(0.002)		
Log vehicle age - 1			-0.00457	(0.007)	0.0312*	(0.015)
Log vehicle weight - 0			-0.100***	(0.022)		
Log vehicle weight - 1			0.0270***	(0.004)	0.174***	0.009
Log horsepower - 0			-0.375***	(0.018)		
Log horsepower - 1			-0.0272	(0.019)	0.429***	(0.023)
Inverse Mill's Ratio	0.136***	(0.012)			-0.0311**	(0.012)
Observations	4698					
$R^2$	0.616		0.439		0.805	



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# Conclusions

- We find that almost one third of fuel savings following an efficiency improvement are lost due to the direct rebound effect.
- We provide further evidence on endogeneity of fuel economy and interdependence of travel distance among vehicles in multivehicle households. Moreover, our model does not support the symmetry assumption.
- Reducing carbon emissions require the combination of energy efficiency improvements with other policies (e.g. taxes, behavioral).
- We will use this model in order to simulate three different policies shocks: prices, fuel economy and income.



# Thank you

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